

Supporting Information

Te Substitution-Induced Structural Evolution and Thermoelectric Properties of Quasi-1D BiSeI

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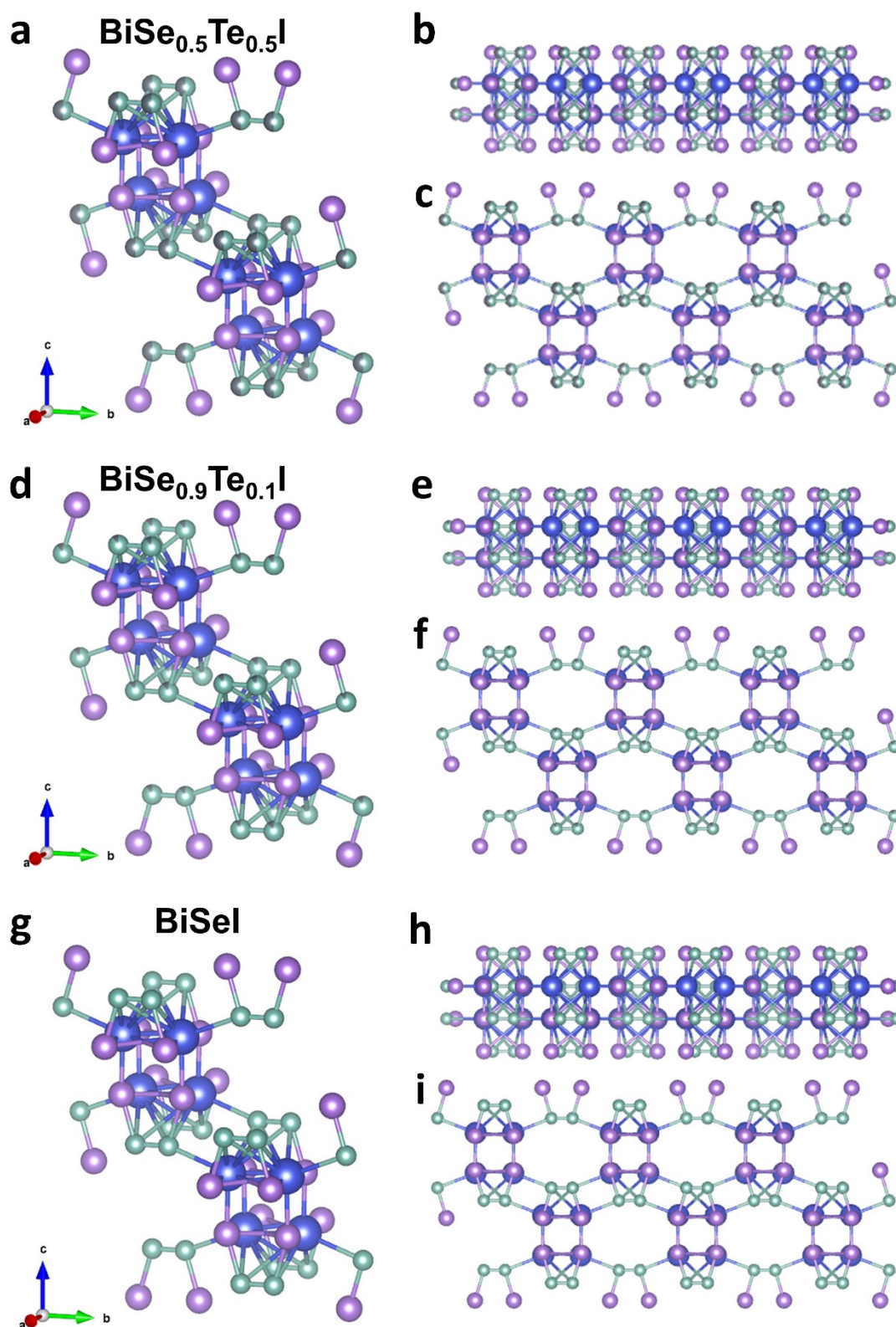


Figure S1. Multi-view comparison of crystal structures in the $\text{BiSe}_{1-x}\text{Te}_x\text{I}$ series. (a–c) $\text{BiSe}_{0.5}\text{Te}_{0.5}\text{I}$: (a) three-dimensional perspective; (b) projection along a showing the layered stacking and coordination polyhedra arrangement; (c) top view along c revealing the periodic atomic network within the ab plane. (d–f) $\text{BiSe}_{0.9}\text{Te}_{0.1}\text{I}$: (d) three-dimensional perspective; (e) projection along a; (f) top view along c. Relative to the higher-Te sample, the overall framework is retained with isovalent occupation of the (Se/Te) sites. (g–i) BiSeI (undoped reference): (g) three-dimensional perspective; (h) projection along a; (i) top view along c, clearly exhibiting the quasi-one-dimensional Bi–Se–I framework that provides substitutional sites for Te. (Uniform color scheme and crystallographic-direction arrows are used as in Figure 1: Bi-blue, I-purple, Te-gray, Se-cyan).

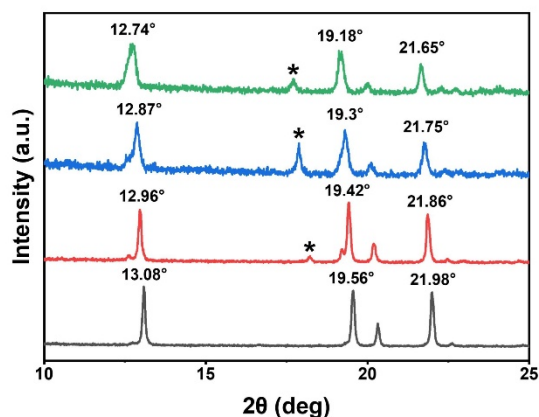


Figure S2. Enlarged powder XRD patterns ($2\theta = 10\text{--}25^\circ$) of BiSeI and Te-substituted BiSe_{1-x}Te_xI ($x = 0, 0.1, 0.3, 0.5$). Representative reflections show a systematic shift toward lower 2θ with increasing Te content, indicating lattice expansion due to Te-for-Se substitution. Weak extra reflections marked with asterisks (*) correspond to trace secondary phases.

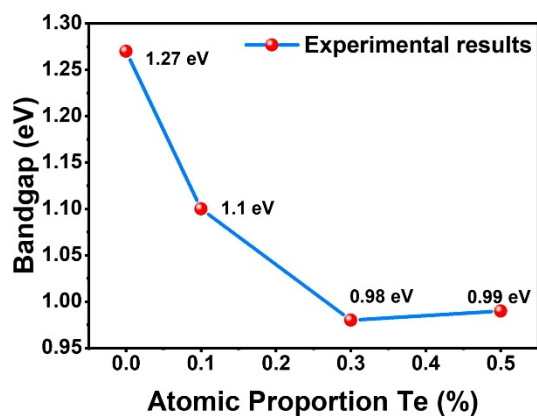


Figure S3. Band gap variation of BiSe_{1-x}Te_xI ($x = 0, 0.1, 0.3, 0.5$). The optical band gap decreases progressively from 1.27 eV ($x = 0$) to 1.10 eV ($x = 0.1$) and 0.98 eV ($x = 0.3$), then increases slightly to 0.99 eV at $x = 0.5$. This non-monotonic trend reflects the competing effects of Te substitution: lattice expansion and electronic-structure modulation dominate at moderate doping, whereas excess Te introduces disorder that partially counteracts band gap narrowing.

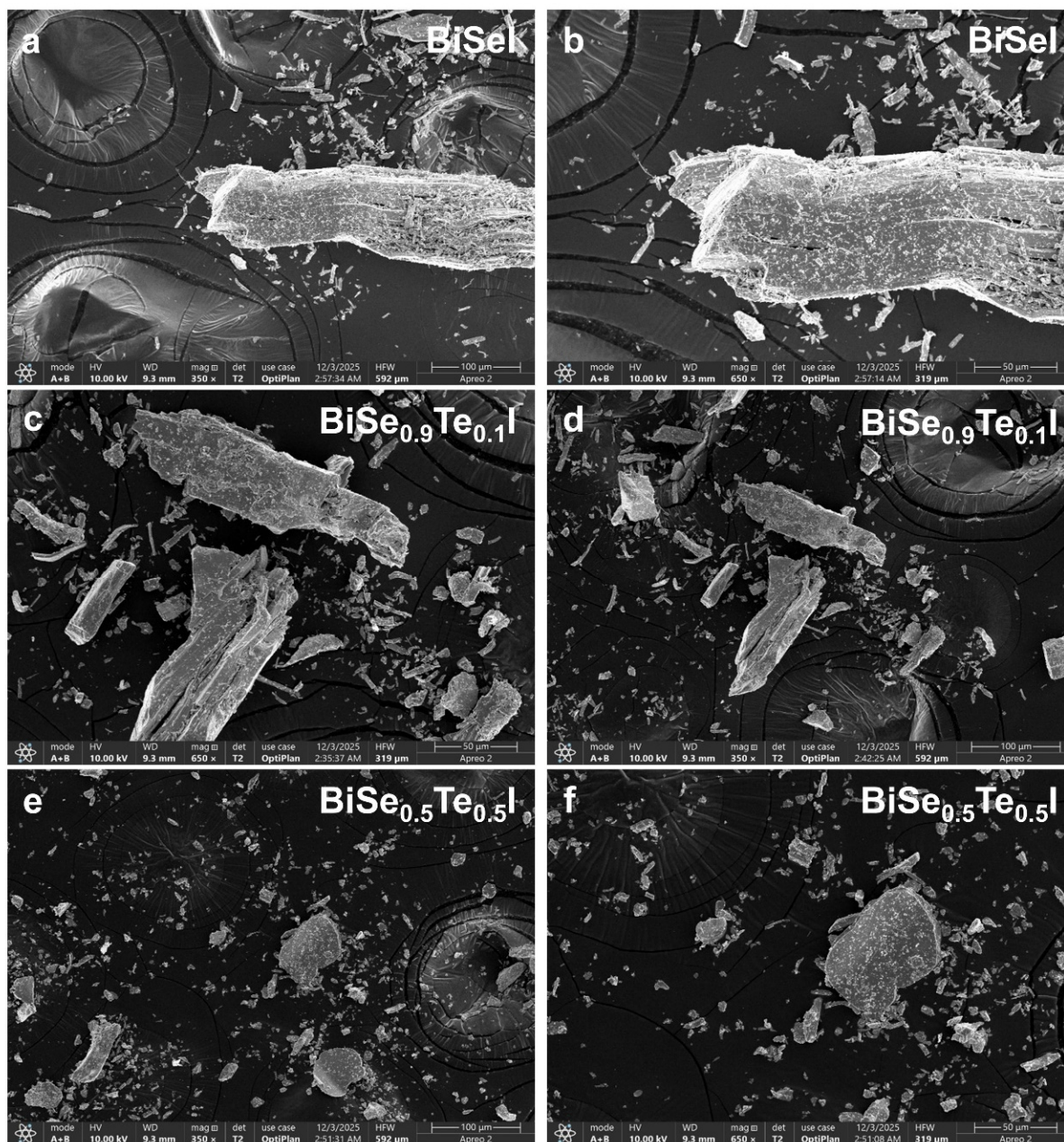


Figure S4. SEM images of BiSeI-based powders with different Te contents. (a,b) Low- and high-magnification images of BiSeI powder, showing belt-like particles. (c,d) BiSe_{0.9}Te_{0.1}I powder exhibiting partially fractured, plate-like particles. (e,f) BiSe_{0.5}Te_{0.5}I powder composed of highly fragmented, irregular grains, indicating that increasing Te substitution gradually destroys the original belt-like morphology.

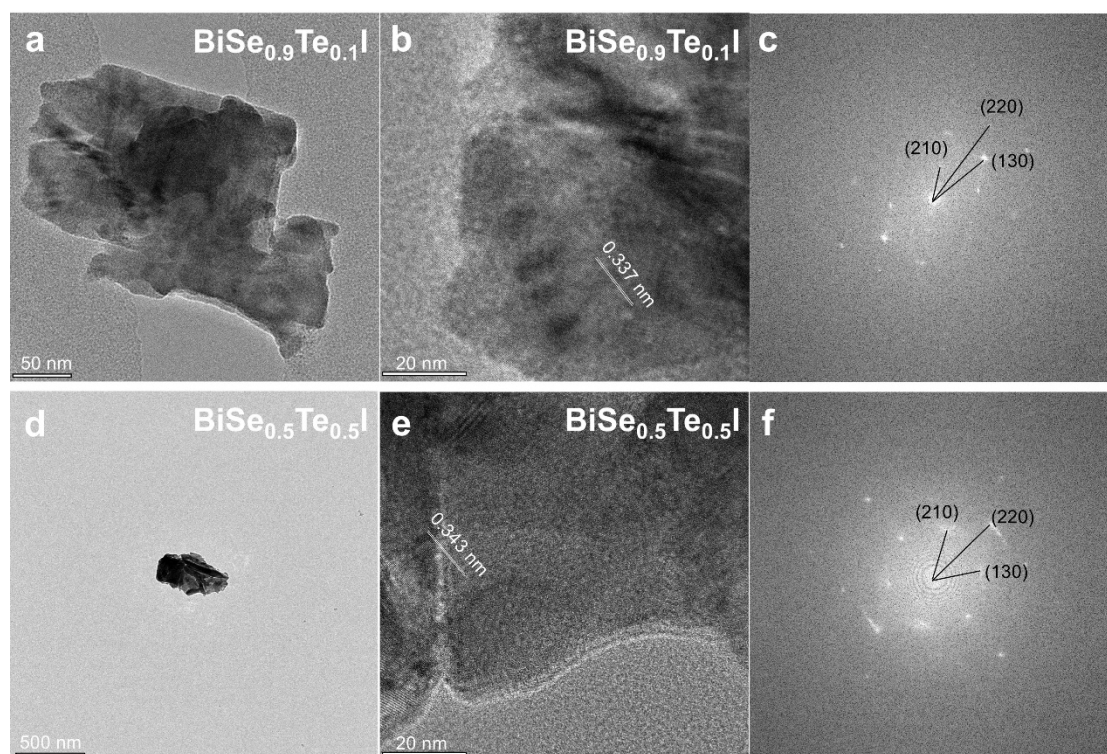


Figure S5. TEM characterization of Te-doped BiSeI powders. (a,d) Low-magnification TEM images of $\text{BiSe}_{0.9}\text{Te}_{0.1}\text{I}$ and $\text{BiSe}_{0.5}\text{Te}_{0.5}\text{I}$ powders, showing flake-like particles. (b,e) High-resolution TEM (HRTEM) images displaying clear lattice fringes with interplanar spacings of ~ 0.337 and ~ 0.343 nm, respectively, confirm the good crystallinity of both powders. (c,f) Fast-Fourier-transform (FFT) processed selected-area electron diffraction (SAED) patterns derived from the HRTEM images, in which the diffraction spots can be indexed to the (220), (130), and (210) planes of the BiSeI-type phase, indicating that Te substitution does not alter the basic crystal structure.

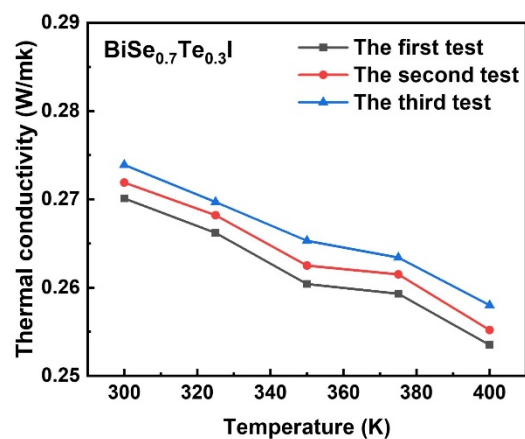


Figure S6. Temperature-dependent thermal conductivity of $\text{BiSe}_{0.7}\text{Te}_{0.3}\text{I}$. Thermal conductivity (κ) was measured from 300–400 K in three independent tests, each showing a monotonic decrease with temperature. The values used in the manuscript are the averages of the three tests at each temperature.

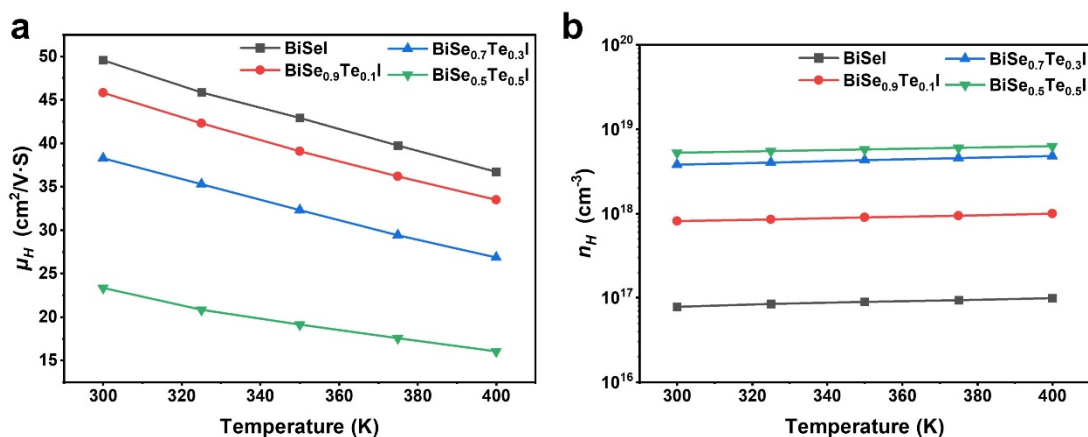


Figure S7. Temperature-dependent Hall transport parameters of BiSe_{1-x}Te_xI (x = 0, 0.1, 0.3, 0.5) measured in the 300–400 K range. **(a)** Hall mobility, μ_H . **(b)** Hall carrier concentration, n_H (plotted on a logarithmic scale). All samples exhibit *n*-type transport (consistent with negative Seebeck coefficients), and Te substitution leads to a pronounced increase in n_H while μ_H decreases with increasing temperature.

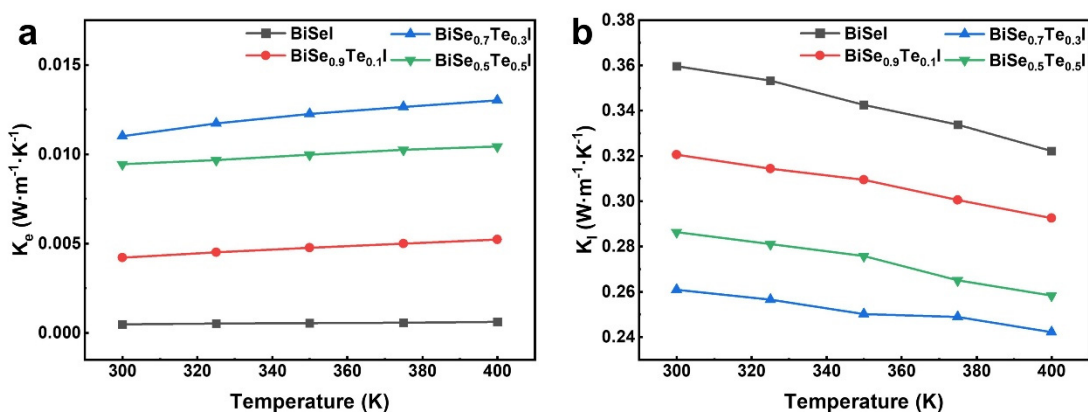


Figure S8. Temperature dependence of the separated thermal conductivity components for BiSe_{1-x}Te_xI (x = 0, 0.1, 0.3, 0.5) in the range of 300–400 K. **(a)** Electronic thermal conductivity, κ_e , calculated using the Wiedemann–Franz relation $\kappa_e = L\sigma T$ with a Seebeck-dependent Lorenz number L . **(b)** Lattice thermal conductivity, κ_l , obtained by $\kappa_l = \kappa - \kappa_e$. The results indicate that κ_e contributes only a minor fraction of κ , and the reduction of thermal conductivity upon Te substitution is dominated by the suppression of κ_l due to enhanced phonon scattering.

Table S1. Elemental compositions of BiSe_{1-x}Te_xI powders determined by SEM–EDS.

Sample	Element (at.%)			
	Bi	Se	Te	I
BiSeI	32.1	33.0	0	34.9
BiSe _{0.9} Te _{0.1} I	32.6	28.3	4.4	34.7
BiSe _{0.7} Te _{0.3} I	31.7	24.6	9.7	34.0
BiSe _{0.5} Te _{0.5} I	31.6	17.6	16.5	34.3

at.% represents the atomic percent. The compositions were obtained from SEM-EDS measurements and normalized to 100 at.% for each sample.

Table S2. Ratio of electronic thermal conductivity to total thermal conductivity (κ_e/κ , %) for $\text{BiSe}_{1-x}\text{Te}_x\text{I}$ ($x = 0, 0.1, 0.3, 0.5$) in the temperature range of 300–400 K.

T (K)	BiSeI	BiSe _{0.9} Te _{0.1} I	BiSe _{0.7} Te _{0.3} I	BiSe _{0.5} Te _{0.5} I
300	0.13%	1.30%	4.05%	3.19%
325	0.15%	1.41%	4.37%	3.32%
350	0.16%	1.51%	4.67%	3.49%
375	0.17%	1.64%	4.83%	3.72%
400	0.19%	1.76%	5.10%	3.88%

Here, κ_e was calculated using the Wiedemann–Franz relation ($\kappa_e = L\sigma T$), where the Lorenz number L was estimated from the Seebeck coefficient using L ($10^{-8} \text{ W}\cdot\Omega\cdot\text{K}^{-2}$) = $1.5 + \exp(-|S|/116)$. The lattice contribution was obtained by $\kappa_l = \kappa - \kappa_e$.